

A Catchment-based Hydrologic And Routing Model System (CHARMS) with Explicit Surface Water Bodies

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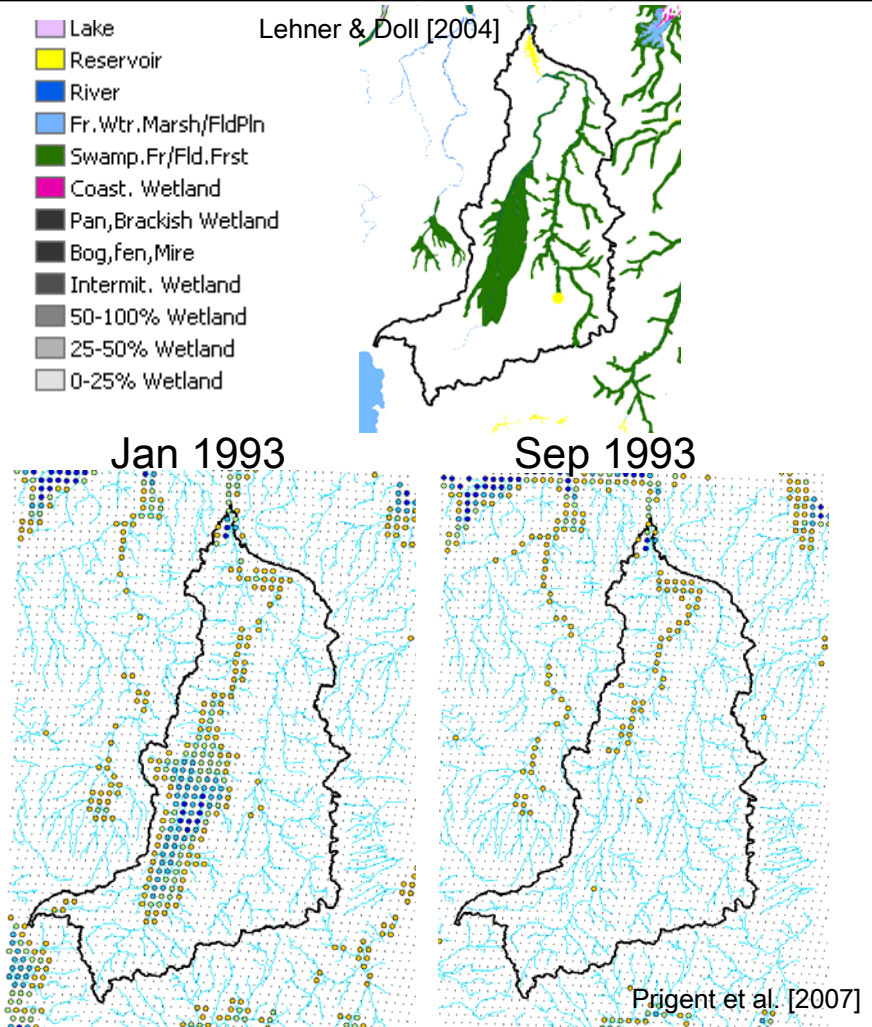
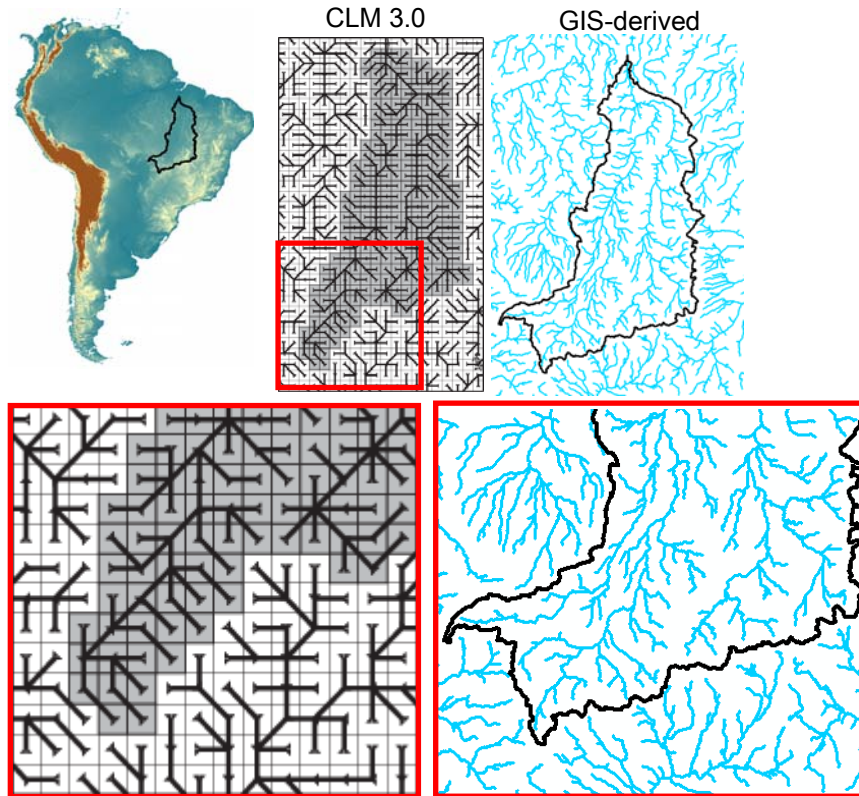
Kwabena Asante

USGS Center for Earth Resources Observation and Science, Sioux Falls, SD

NCAR CLM Land Model Working Group Meeting, Feb 20, Boulder, Colorado

Surface Water Bodies within Land Surface Models

- ❑ typically ignored
- ❑ river networks inaccurate
- ❑ fixed modeling units (e.g., CLM)
- ❑ no seasonal variations



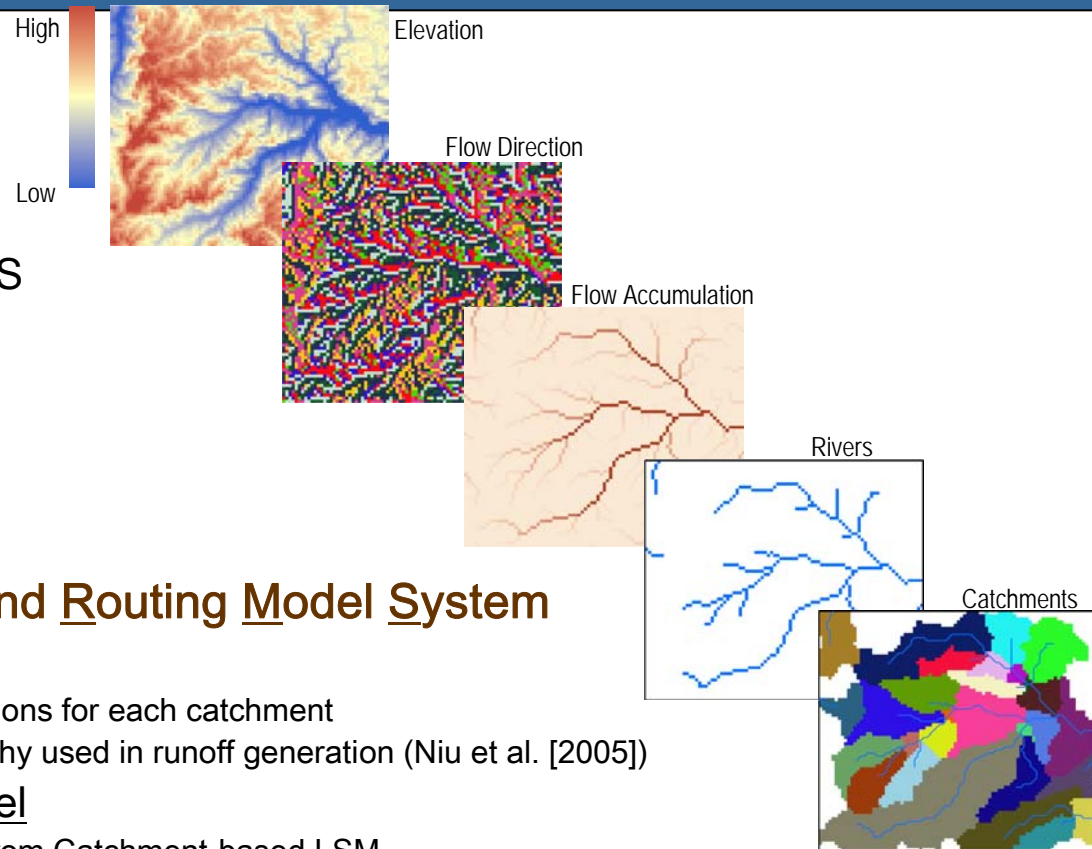
❑ **Objective:** incorporate river transport and floodplain water storage in LSMs

❑ **Approach:** catchment-based instead of grid-based

Overall Framework

❑ Catchment-based Model

- catchment is the modeling unit
- fine resolution elevation data
- river paths and catchment boundaries obtained using a GIS
 - ArcHydro (Maidment, [2002])



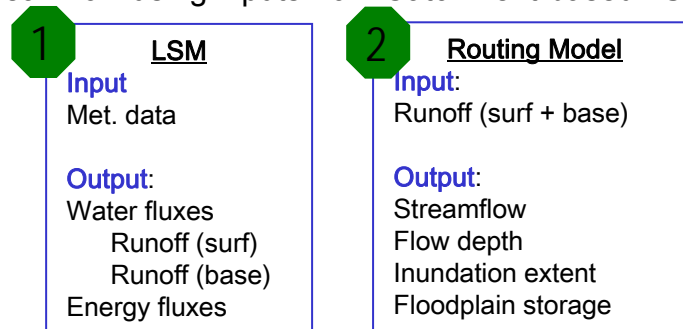
❑ Catchment-based Hydrologic And Routing Model System

1 Catchment-based LSM

- water and energy balance computations for each catchment
- statistics of sub-catchment topography used in runoff generation (Niu et al. [2005])

2 Catchment-based Routing Model

- generates streamflow using inputs from Catchment-based LSM

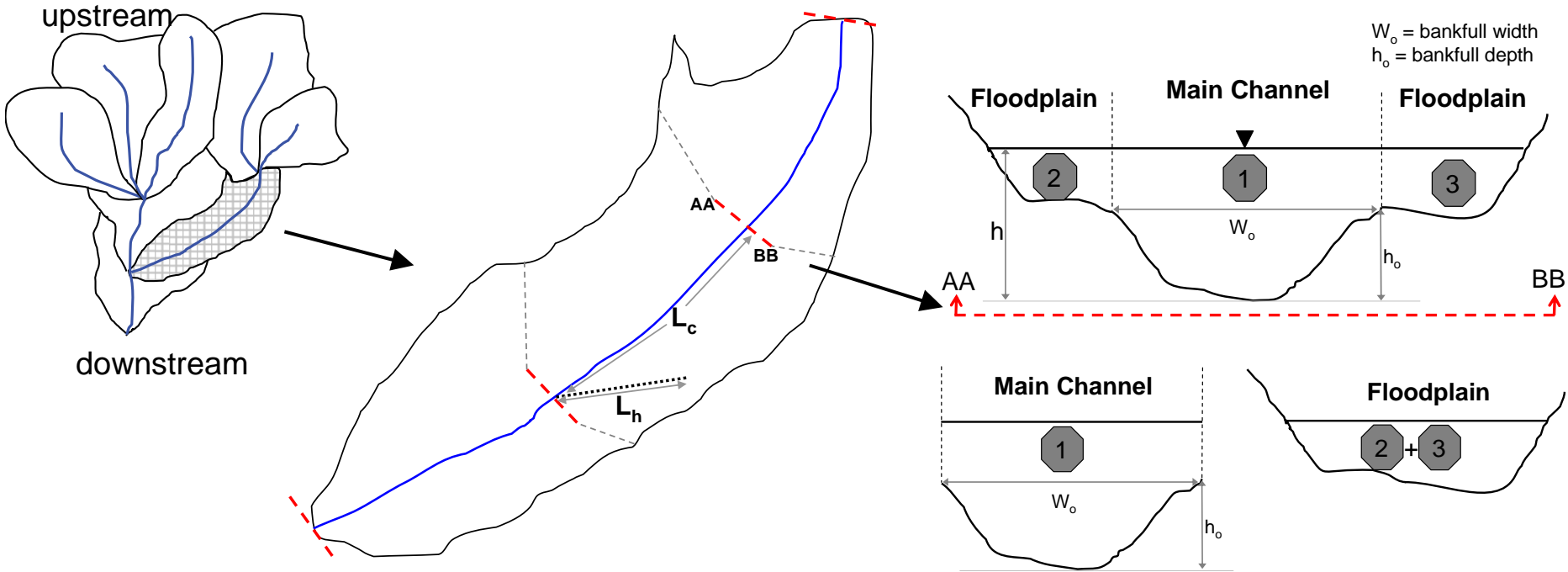


Note: catchment vs grid

- computational resources are similar
- can be implemented at various "resolutions"

Routing Model in CHARMS

- Keefer & McQuivey [1974]
- Becker & Kundzewicz [1987]
- Garbrecht & Brunner [1991]
- Olivera & Maidment [1999]
- Olivera et al. [2000]



- ❑ river channels divided into smaller routing reaches
- ❑ streamflow computation
 - cross-sectional geometry used to partition total flow ([empirical Manning's equation](#))
 - main channel (faster) and floodplain (slower) flow routed separately ([convection-diffusion equation](#))
- ❑ streamflow @ inflow/outflow section of every routing reach

$$Q(t) = \underbrace{Q_{h,surf}(t)}_{\text{hillslope}} + \underbrace{Q_{h,base}(t)}_{\text{main channel}} + \underbrace{Q_{chnl}(t)}_{\text{main channel}} + \underbrace{Q_{fldp}(t)}_{\text{floodplain}}$$

Study Domain, Datasets & Models

❑ Wabash River Basin (~74000 km²)

- no major lakes and reservoirs
- historical unregulated streamflow data

❑ Data

- Elevation data
 - GTOPO30: 1 km, global
- Streamflow Data
 - HCDN: Slack and Landwehr [1992], 1874-1988, daily
- Meteorological Data
 - precipitation: Maurer et al. [2002], 1/8^o, 1949-2000, daily
 - other vars: Sheffield et al. [2006], 1^o, 1948-2000, 3-hrly

❑ Channel cross-section data

- SRTM elevation data, 90 m
- profiles @ 1-km intervals
- downstream of HCDN stations

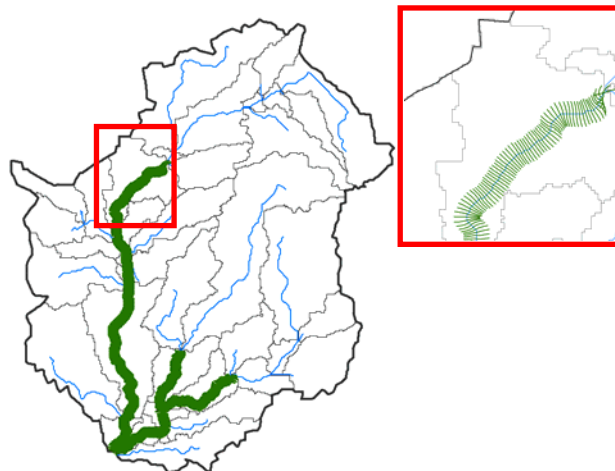
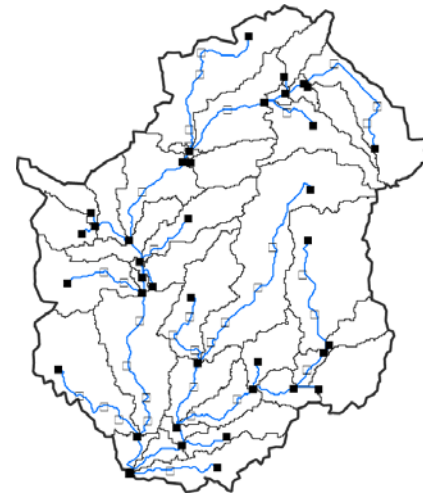
- **Empirical relationship between discharge and channel geometry used by routing model**

❑ LSM in CHARMS

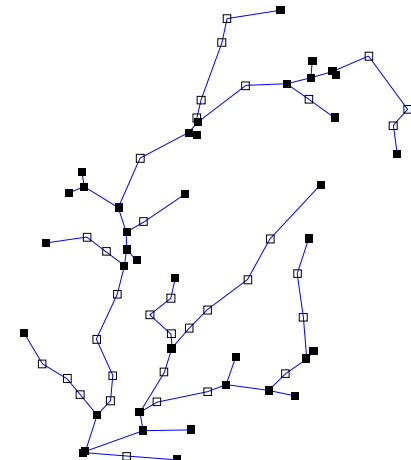
- NCAR CLM (CLM 3.0 **)
- catchment-based version of CLM
- catchment-based datasets



GIS-derived network

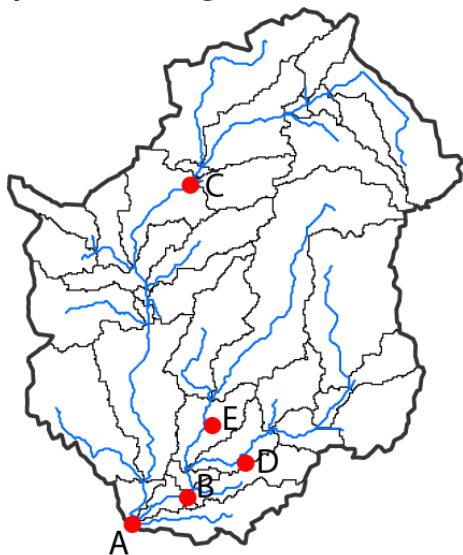


CHARMS network



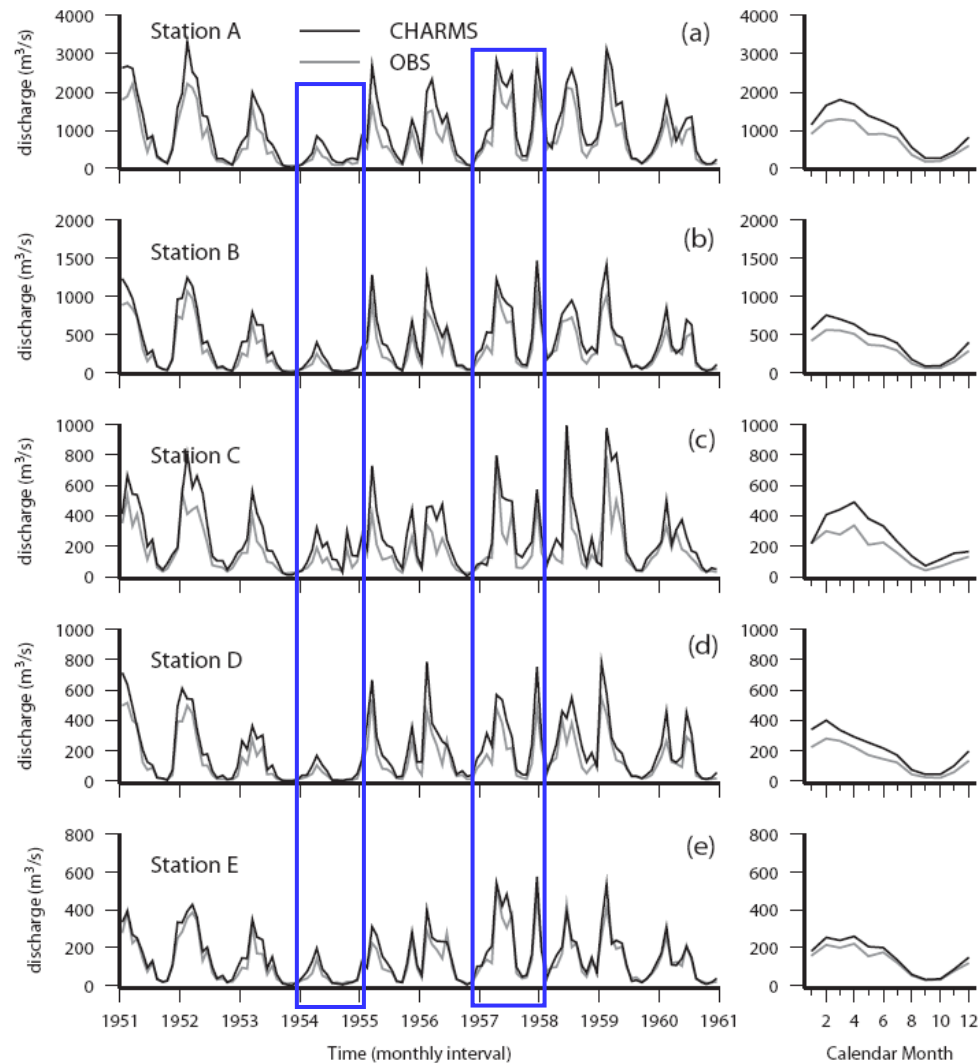
Results: Streamflow Simulation

- Simulation period 1949-1960, 1-hr time steps LSM, 6-hr time steps routing model



- Reasonable simulation of streamflow

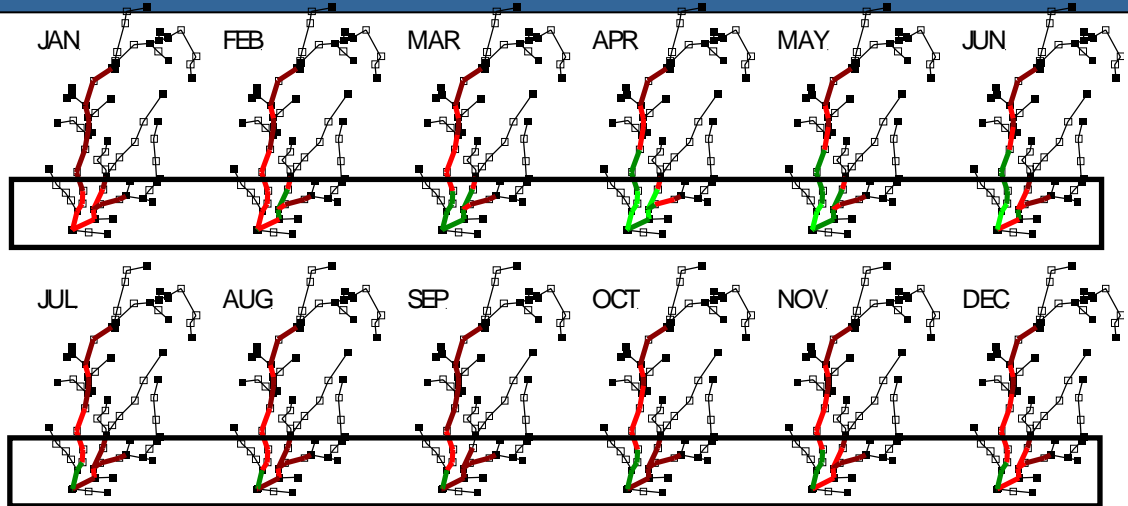
- CLM known to overestimate runoff, especially in Winter and Spring
 - underestimation of ET
 - problems with precip. data?
- No calibration of model parameters



Results: Inundation Extent Simulation

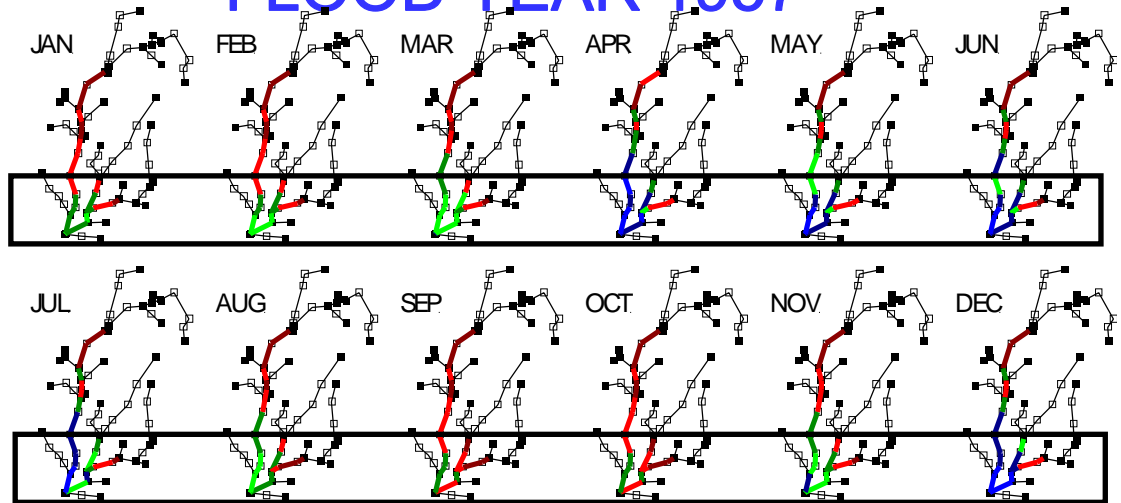
DROUGHT YEAR 1954

- ❑ Inundation extent follows the seasons
- ❑ Inundation extent generally higher for the downstream reaches
- ❑ Annual variation in the downstream reaches 100-700 m (drought year) and 400-1900 m (flood year)



FLOOD YEAR 1957

- ❑ Implement CHARMS over a larger domain

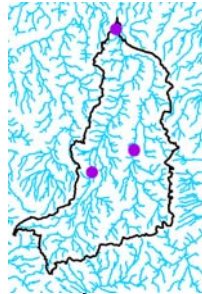


Some Modeling Challenges

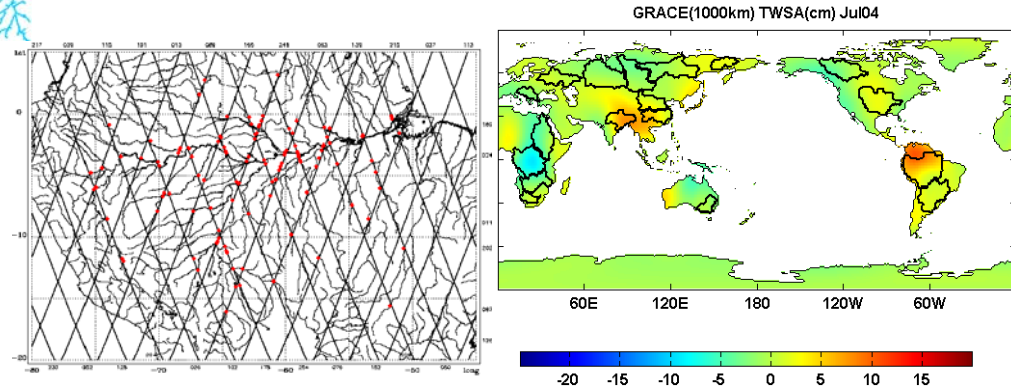
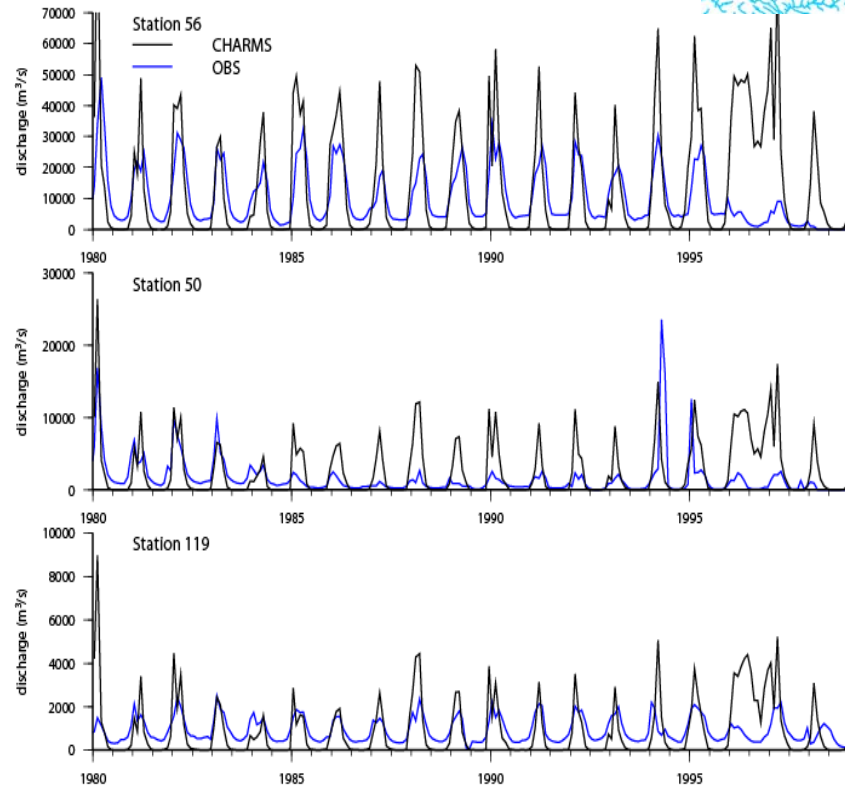
- ❑ Inadequate data
- ❑ Use satellite-based products

Preliminary simulations for the Tocantins Basin

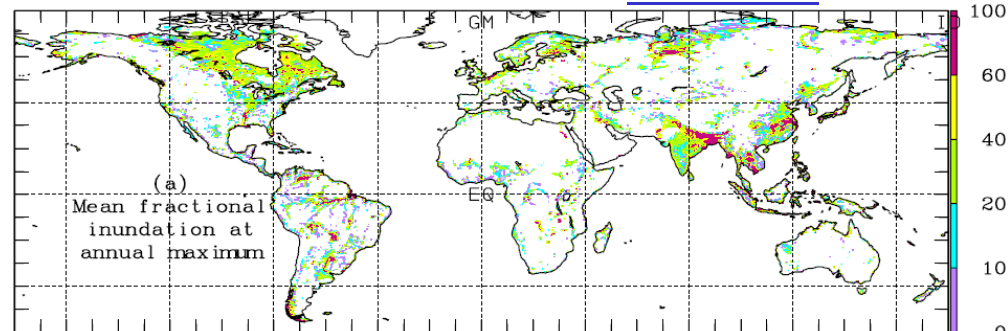
- GLDAS forcing
- monthly avg runoff (no routing), 1980-2000



http://www.pecad.fas.usda.gov/cropexplorer/global_reservoir/index.cfm



<http://essic8.umd.edu/~cmb/webtext/> <http://www.ess.uci.edu/~hydrogroup/mass/data.html>

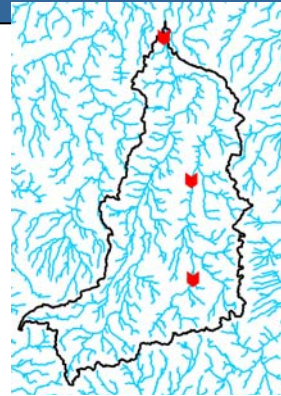


Prigent et al., *J. Geophys. Res.*, 2007

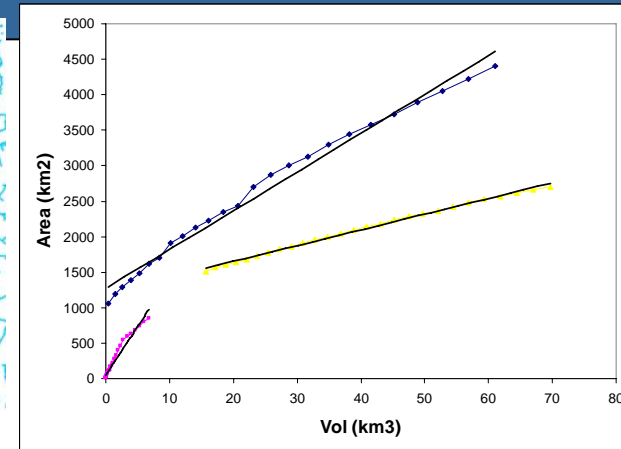
Future Work

☐ Anthropogenic influences

- Changing water management practices
- Changing land use practices



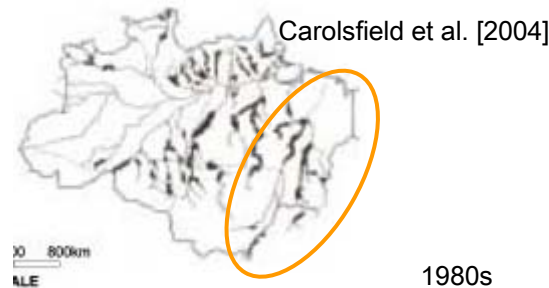
PLANNED RESERVOIRS



☐ CHARMS is a first step towards a framework for understanding coupled Earth system interactions - with a realistic representation of surface water bodies

☐ Future additions to CHARMS

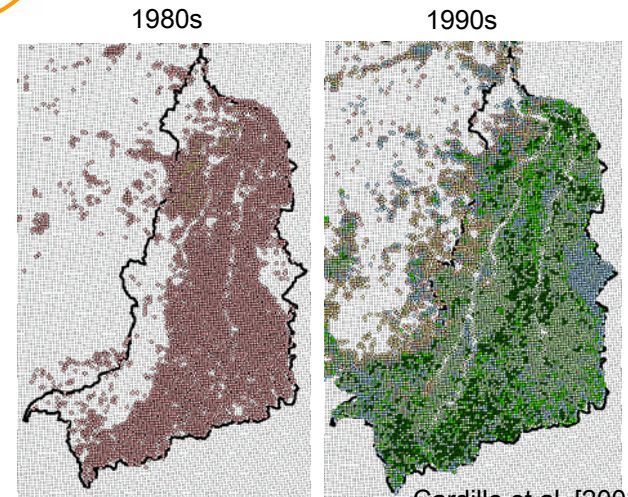
- lakes/wetlands
- groundwater-surface water interactions
- river-atmosphere interactions



Carolsfield et al. [2004]

% agricultural area =
(cultivated + natural
pasture + planted
pasture)

- 0 - 5
- ◊ 6 - 13
- ◊ 14 - 26
- ◊ 27 - 39
- ◊ 40 - 52
- ◊ 53 - 65
- ◊ 66 - 78



Cardille et al. [2002]

Thank you!

Station ID	Station Name	Drainage Area	
		HCDN	ArcHydro[CHARMS]
03377500 (A)	Wabash River, Mt. Carmel, IL	74165	-2.5% [-2.5%]
03374000 (B)	White River, Petersburg, IN	28814	-4.1% [-4.2%]
03335500 (C)	Wabash River, Lafayette, IN	18822	-3.5% [-4.0%]
03373500 (D)	East Fork White River, Shoals, IN	12761	-1.0% [-3.8%]
03360500 (E)	White River, Newberry, IN	12142	-5.7% [-4.3%]

Station	r	$RMSE$	ME
A	0.92	468	0.65
B	0.90	224	0.64
C	0.77	207	0.25
D	0.76	190	0.10
E	0.82	108	0.56

Station	r	$RMSE$	ME
A	0.97	382	0.71
B	0.98	146	0.81
C	0.93	124	0.44
D	0.97	91	0.68
E	0.97	41	0.89

Transport from hillslopes to the river channel

$$T_{h,surf} = \left(\frac{n_o L_h \sqrt{S_h}}{r_{surf}^{2/3}(\tau)} \right)^{3/5} / \Delta T$$

$$T_{h,base} = \left(\frac{\phi L_h}{\kappa S_h} \right) / \Delta T$$

$$U_{h,surf}(\tau) = \frac{1}{T_{h,surf}} \quad \tau = 1, \dots, T_{h,surf}$$

$$U_{h,base}(\tau) = \frac{1}{T_{h,base}} \quad \tau = 1, \dots, T_{h,base}$$

$$Q_{h,surf}(t) = A_h \sum_{\tau=0}^{\tau=\Lambda} r_{surf}(t-\tau) U_{h,surf}(t-\tau)$$

$$Q_{h,base}(t) = A_h \sum_{\tau=0}^{\tau=\Lambda} r_{base}(t-\tau) U_{h,base}(t-\tau)$$

Transport within river channels and floodplains

$$\frac{\partial Q_{chnl}}{\partial t} + V_c \frac{\partial Q_{chnl}}{\partial x} - D_c \frac{\partial^2 Q_{chnl}}{\partial x^2} = 0$$

$$V_c = \frac{dQ_{chnl}}{dA_c} = \frac{1}{W} \frac{dQ_{chnl}}{dh}$$

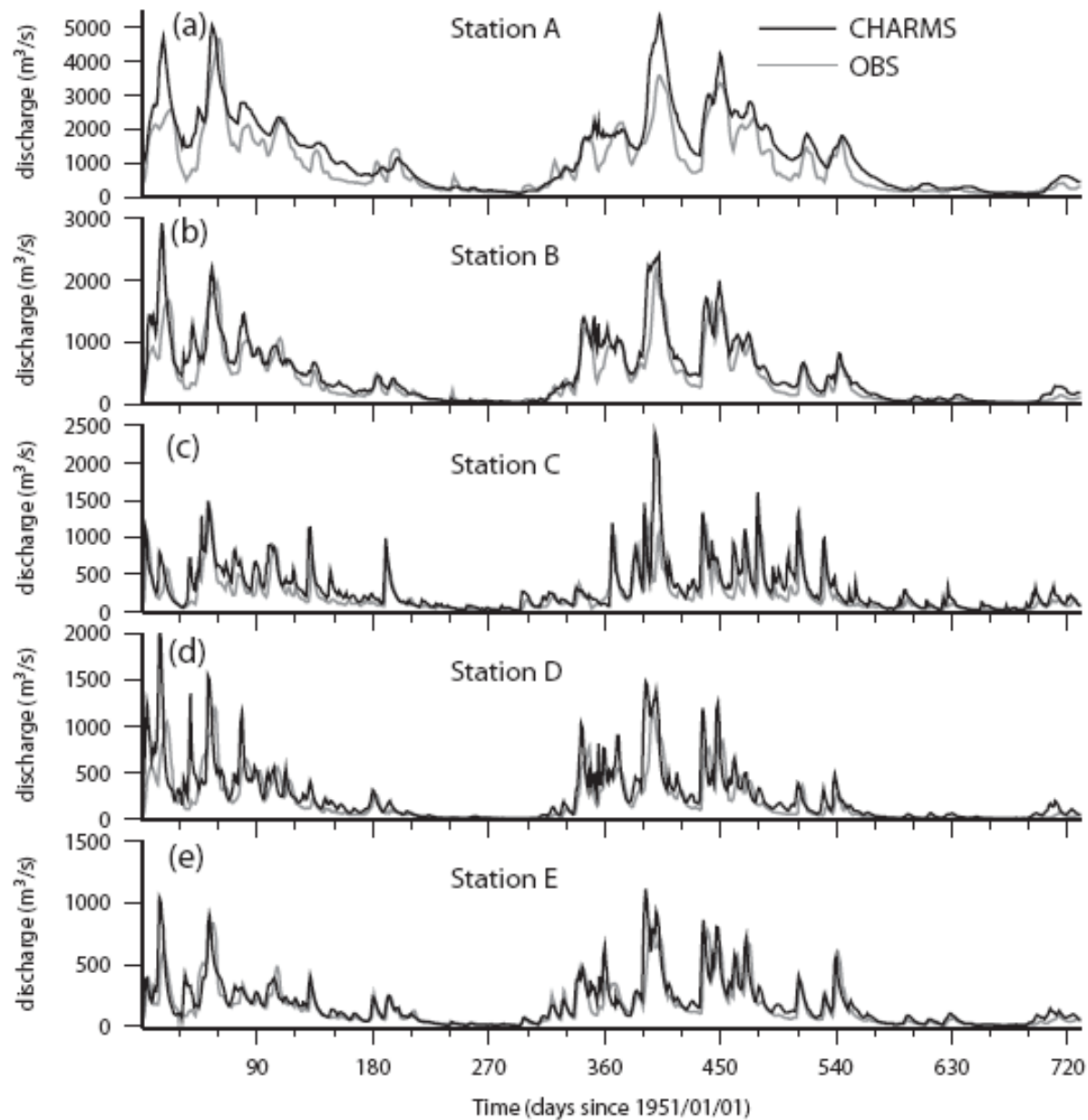
$$D_c = \frac{Q_{chnl}}{2 W S_{chnl}}$$

$$U_{chnl}(\tau) = \frac{1}{2\tau \sqrt{\pi(\tau/T_c)/\Pi_c}} \exp \left\{ -\frac{[1 - (\tau/T_c)]^2}{4(\tau/T_c)/\Pi_c} \right\}$$

$$T_c = \left(\frac{L_c}{V_c} \right) / \Delta T$$

$$\Pi_c = \frac{L_c V_c}{D_c}$$

$$Q_{chnl}(t, \text{downstream}) = \sum_{\tau=0}^{\tau=\Lambda} Q_{chnl}(t-\tau, \text{upstream}) U_{chnl}(t-\tau)$$

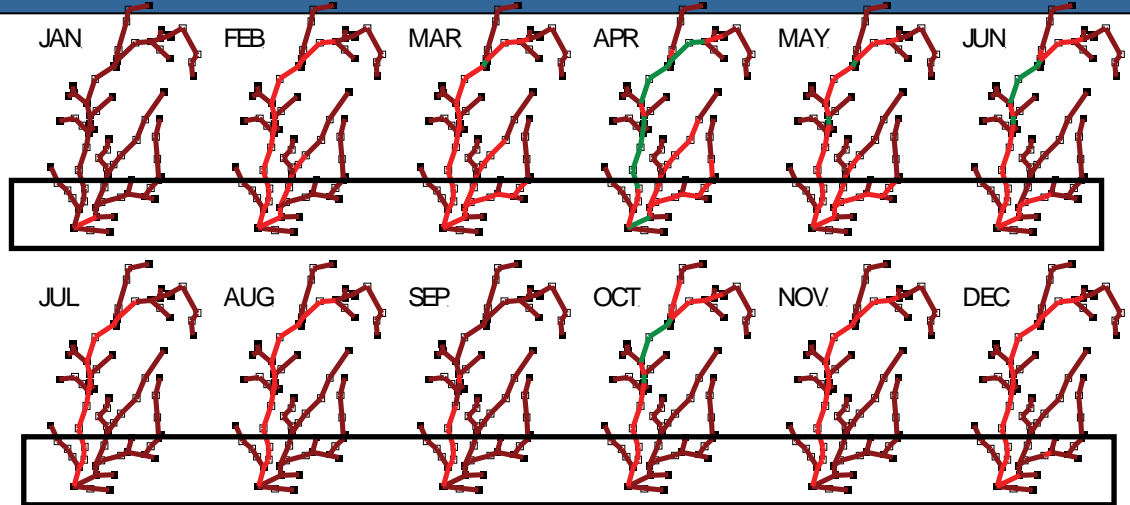


Results: River Flow Depth Simulation

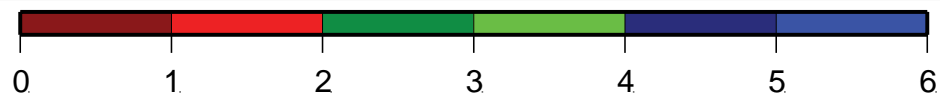
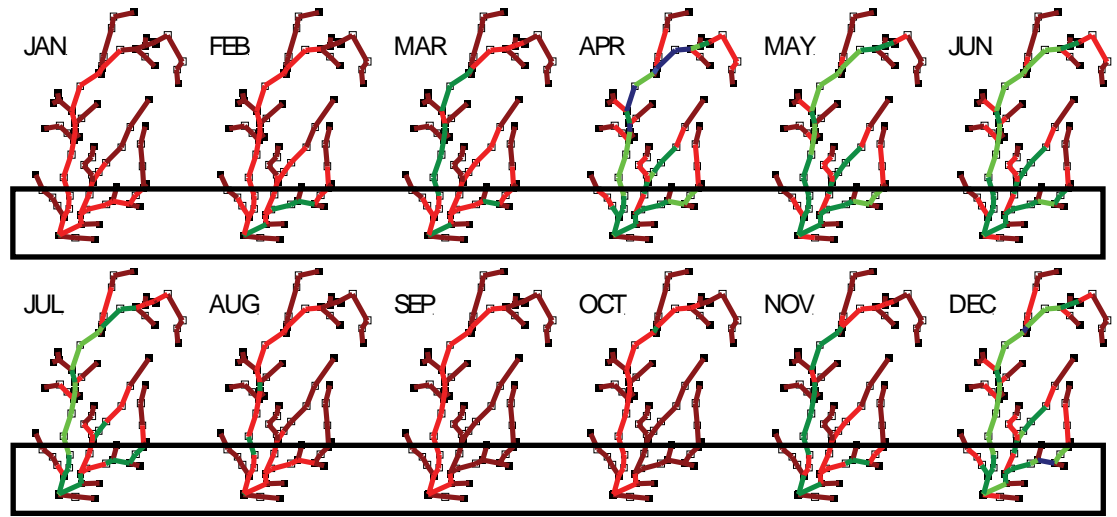
□ Seasonal variation in depth 2-3 m

□ Annual variation in the downstream reaches 0-2 m (drought year) and 1-4 m (flood year)

DROUGHT YEAR 1954



FLOOD YEAR 1957



depth of water (m)

Channel Cross-Section Profiles

Shuttle Radar Topography Mission (SRTM) elevation data

- 90 m, 60 N – 50 S
- cross-section profiles at 1-km intervals
- downstream of HCDN/USGS stations

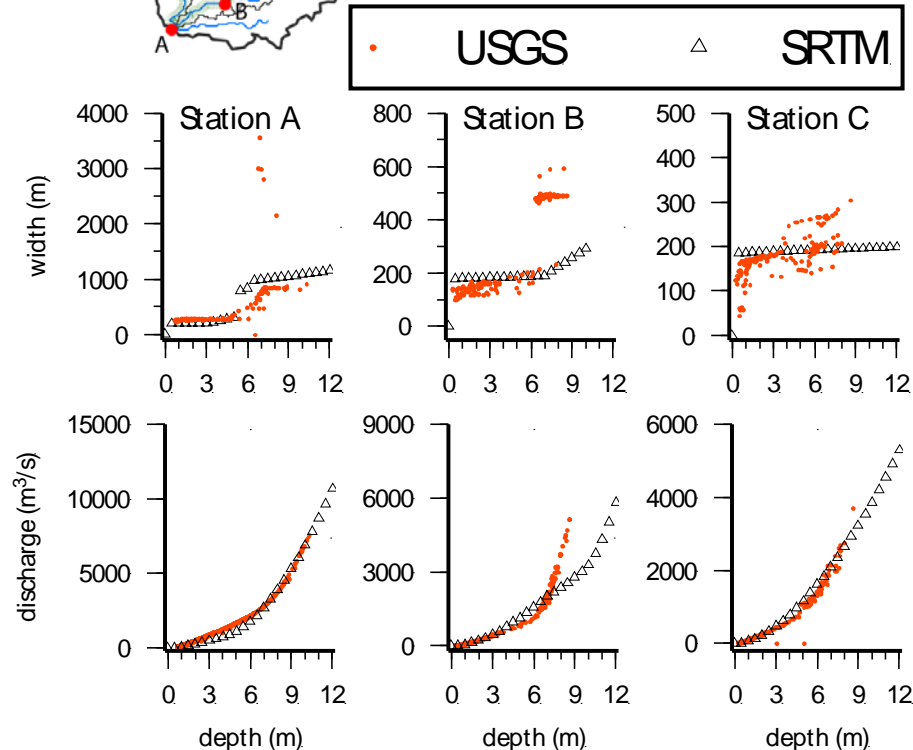
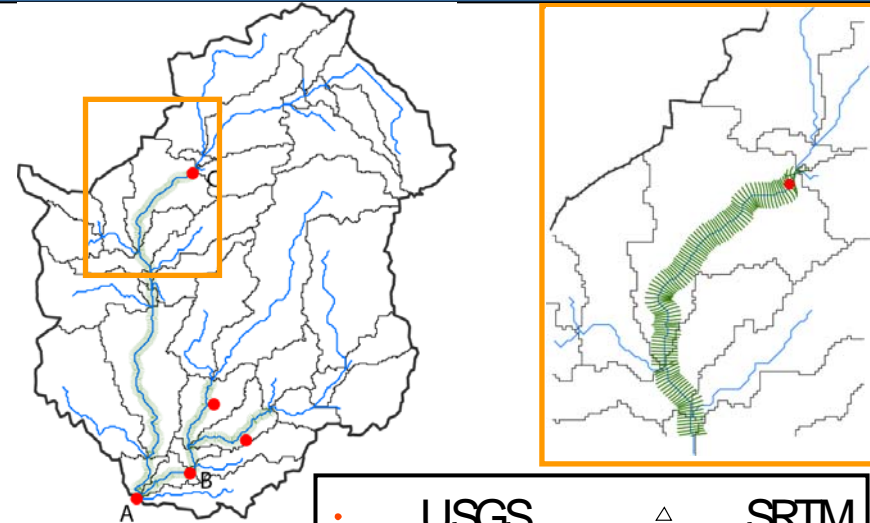
SRTM-derived data versus USGS observations

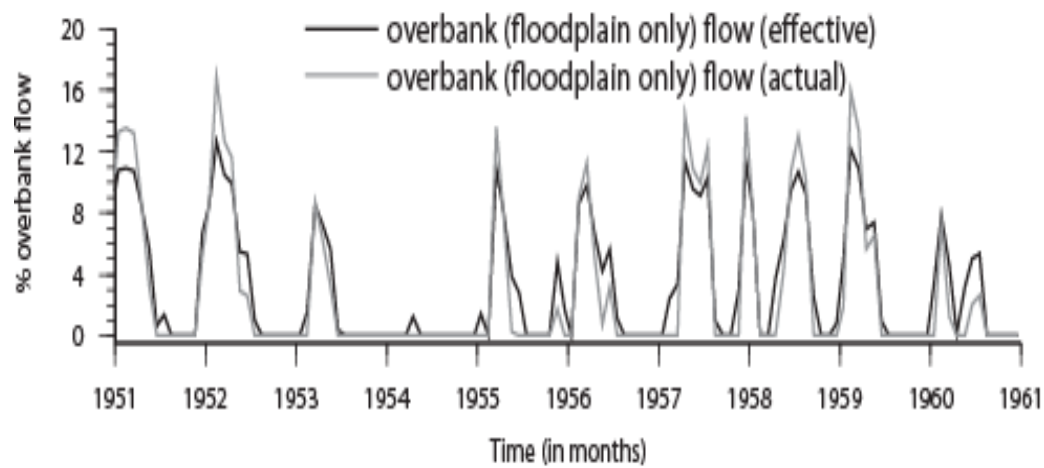
- depth-width
 - SRTM widths scaled by 2.0
- discharge
 - Manning's empirical equation

$$Q = \frac{1}{n} AR^{2/3} S_0^{1/2}$$

- $n(\text{chnl}) = 0.030$, $n(\text{fldp}) = 0.060$, $S_0 = 0.02\%$

Empirical relationship between discharge and channel geometry used by routing model





Inundation Data from Prigent et al.

- Global Inundation Extent (1993-2000, monthly)
- Equal area grids (773 km²; 0.25 deg at Equator)
- Inundation < 10% (~80 km²), not captured